

Chapter: Solving Hierarchical Problems via Search

Dr. Pascal Bercher

Institute of Artificial Intelligence,
Ulm University, Germany


Winter Term 2018/2019
(Compiled on: February 19, 2019)



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 - Introduction
 - Prerequisites of Algorithm
 - Algorithm
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Solving Techniques

How to Solve Hierarchical Planning Problems?

- Via reduction, i.e., compilation to other problems like
 - SAT, i.e., Satisfiability (later in this lecture).
 - ASP, i.e., Answer Set Programming (not covered).
 - Many more (what ever problem (class) fits to the current problem).
- Search:
 - Forward progression search in the space of world state – plus the remaining task network to go thereby extending classical planning.
 - (Regression-like) search in the space of partial plans – extends POCL planning to deal with abstract tasks.
 - Local search (not covered).



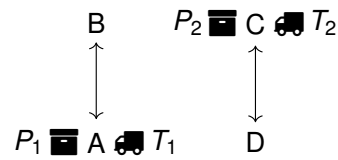
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Running Example

High-Level Description of Example Domain

- We have a delivery domain consisting of four locations, A, \dots, D .
- A can be reached from B and vice versa. Similar for C and D .
- There are two trucks and two packages.
- Trucks can load and unload packages.



- We model the respective domain and problem as an HTN problem.



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Running Example

Graphical Illustration of Domain Model

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Running Example

Formal Action Model

$$\begin{array}{l}
 at(v, l_1) \text{ --- } \boxed{\text{drive}(v, l_1, l_2)} \text{ --- } \neg at(v, l_1) \\
 road(l_1, l_2) \text{ --- } \boxed{\text{drive}(v, l_1, l_2)} \text{ --- } at(v, l_2) \\
 \\
 \boxed{\text{no-op}()} \\
 \\
 at(v, l) \text{ --- } \boxed{\text{pick-up}(v, l, p)} \text{ --- } in(p, v) \\
 at(p, l) \text{ --- } \boxed{\text{pick-up}(v, l, p)} \text{ --- } \neg at(p, l) \\
 \\
 at(v, l) \text{ --- } \boxed{\text{drop}(v, l, p)} \text{ --- } \neg in(p, v) \\
 in(p, v) \text{ --- } \boxed{\text{drop}(v, l, p)} \text{ --- } at(p, l)
 \end{array}$$

Assume the following sorts/types: v – vehicle, l, l_1, l_2 – location, and p – package. Further assume that constants of the respective sorts/types are provided.

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Introduction

Introduction

HTN progression search behaves similar to classical planning, but performs both search in the space of states *and* in the space of *task networks*:

- We maintain a *current state*, starting with the initial state.
- In addition, maintain a *current task network*, starting with the initial one.
- To perform progression, we identify the set of tasks without predecessors. Only those can get applied:
 - A primitive task gets applied to the current state as usual.
 - A compound task gets “applied” by decomposing it.
- When are we done? What are the termination criteria?
 - The current task network is empty!
- Thus, progression HTN planning produces totally ordered solutions!
 - Reminder: Technically they are not even solutions. Why?
 - In the general case, these totally ordered action sequences can not be obtained via decomposition. They are *witnesses* of solutions, though.
- Note: The standard progression algorithm, SHOP2, relies on *preconditions of methods*. (We only discuss this briefly here.)

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Algorithm

HTN Progression, Pseudo Code

Algorithm: HTN Progression Search

Input: An HTN problem $\mathcal{P} = (V, P, \delta, C, M, s_i, tn_i)$

Output: A solution \bar{a} or *fail* if none exists

```

1 fringe ← {(si, tni, ε)}
2 while fringe ≠ ∅ do
3   n = (s, tn, ā) ← nodeSelectAndRemove(fringe)
4   if tn is empty then
5     return ā
6   else
7     U ← detectUnconstrainedSteps(tn)
8     for t ∈ U do
9       if isPrimitive(t) and pre(t) ⊆ s then
10        fringe ← fringe ∪ {n.apply(t)}
11      else if isCompound(t) then
12        fringe ← fringe ∪ {n.decompose(t, m) |
13          m ∈ M with m = (α(t), tnm)}
13 return fail

```

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Algorithm

HTN Progression, Example

$deliver(P_1, B)$

$get-to(T_1, A)$ ← $pick-up(T_1, A, P_1)$ ← $get-to(T_1, B)$ ← $drop(T_1, B, P_1)$

$deliver(P_2, D)$

$\pi = ()$

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$get-to(T_1, A)$ ← $pick-up(T_1, A, P_1)$ ← $get-to(T_1, B)$ ← $drop(T_1, B, P_1)$

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Algorithm

HTN Progression, Example

$deliver(P_1, B)$

$get-to(T_2, C)$ ← $pick-up(T_2, C, P_2)$ ← $get-to(T_2, D)$ ← $drop(T_2, D, P_2)$

$\pi = ()$

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HTN Progression, Example

$deliver(P_1, B)$

$get-to(T_2, C)$ ← $pick-up(T_2, C, P_2)$ ← $get-to(T_2, D)$ ← $drop(T_2, D, P_2)$

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Algorithm

HTN Progression, Example

`get-to(T1, A)` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`deliver(P2, D)`

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Algorithm

HTN Progression, Example

`get-to(T1, A)` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`no-op()` ← `deliver(P2, D)`

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Algorithm

HTN Progression, Example

`no-op()` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
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HTN Progression, Example

`get-to(T1, A)` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`deliver(P2, D)`

`get-to(T2, C)` ← `pick-up(T2, C, P2)` ← `get-to(T2, D)` ← `drop(T2, D, P2)`

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HTN Progression, Example

`get-to(T1, A)` → `pick-up(T1, A, P1)` → `get-to(T1, B)` → `drop(T1, B, P1)`

`get-to(T2, C)` → `pick-up(T2, C, P2)` → `get-to(T2, D)` → `drop(T2, D, P2)`

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HTN Progression, Example

`deliver(P1, B)`

`get-to(T2, C)` → `pick-up(T2, C, P2)` → `get-to(T2, D)` → `drop(T2, D, P2)`

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HTN Progression, Example

`deliver(P1, B)`

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`no-op()`

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Algorithm

HTN Progression, Example

`deliver(P1, B)`

`pick-up(T2, C, P2)` → `get-to(T2, D)` → `drop(T2, D, P2)`

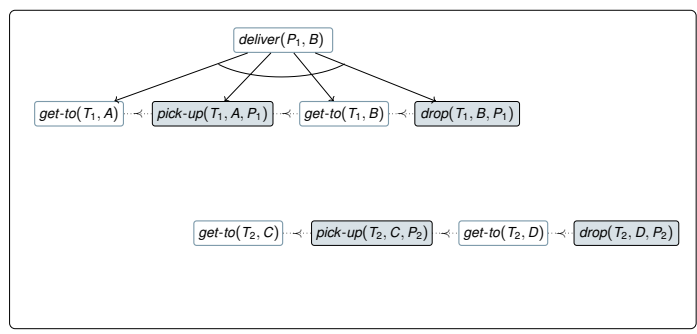
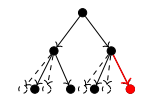
`no-op()`

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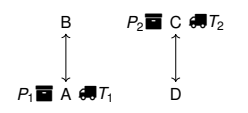
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Algorithm

HTN Progression, Example

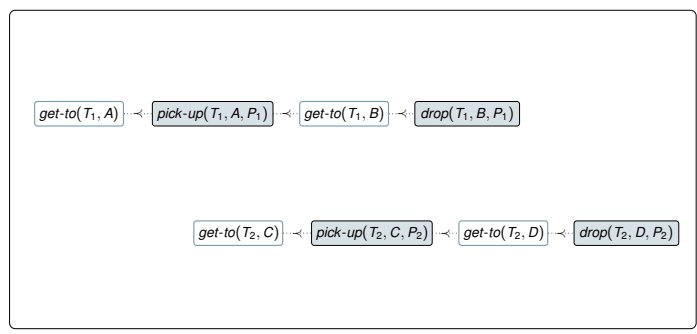
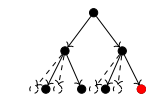


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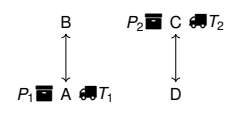


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HTN Progression, Example

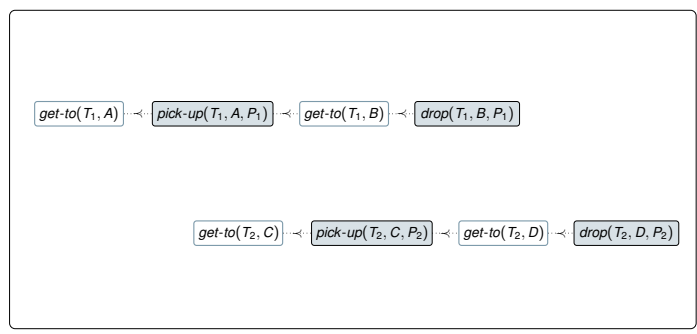
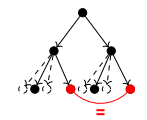


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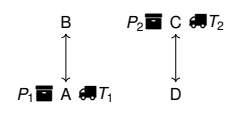


Algorithm

HTN Progression, Example

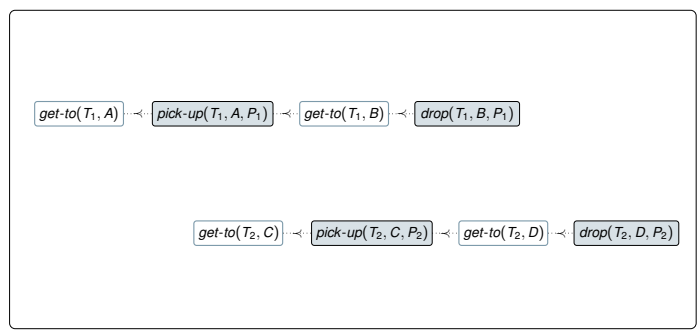
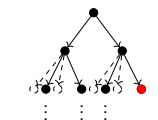


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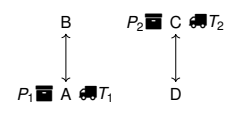


Algorithm

HTN Progression, Example



$\pi = ()$



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HTN Progression, Example

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HTN Progression, Example

$\pi = (no-op())$

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HTN Progression, Example

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HTN Progression, Example

$\pi = (no-op(), no-op())$

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HTN Progression, Example

$\pi = (no-op(), no-op(), pick-up(T1, A, P1))$

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HTN Progression, Example

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Algorithm

HTN Progression, Example

$\pi = (no-op(), no-op(), pick-up(T_1, A, P_1), drive(T_1, A, B))$

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HTN Progression, Example

$\pi = (no-op(), no-op(), pick-up(T_1, A, P_1), drive(T_1, A, B), pick-up(T_2, C, P_2))$

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HTN Progression, Example

$\pi = (no-op(), no-op(), pick-up(T_1, A, P_1), drive(T_1, A, B), pick-up(T_2, C, P_2), drive(T_2, C, D), drop(T_2, D, P_2), drop(T_1, B, P_1))$

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Algorithm

Pseudo Code of Standard HTN Progression Search – Can We Do Better?


Algorithm: HTN Progression Search

Input: An HTN problem $\mathcal{P} = (V, P, \delta, C, M, s_i, tn_i)$
Output: A solution \bar{a} or **fail** if none exists

```

1 fringe ← {(si, tni, ε)}
2 while fringe ≠ ∅ do
3   n = (s, tn, ā) ← nodeSelectAndRemove(fringe)
4   if tn is empty then
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8     for t ∈ U do
9       if isPrimitive(t) and pre(t) ⊆ s then
10        fringe ← fringe ∪ {n.apply(t)}
11      else if isCompound(t) then
12        fringe ← fringe ∪ {n.decompose(t, m) |
13          m ∈ M with m = (α(t), tnm)}
13 return fail

```



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Algorithm

Eliminating Redundancy in Progression Search

- The previous algorithm branches over:
 - All applicable primitive tasks.
 - All decomposition methods for all compound tasks.
- We have to decompose *all* compound tasks and – in contrast to action application – the order in which they are handled has no influence on the resulting solutions.

→ It's also correct to *pick* an abstract task!



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Algorithm

Improved HTN Progression, Pseudo Code


Algorithm: HTN Progression Search

Input: An HTN problem $\mathcal{P} = (V, P, \delta, C, M, s_i, tn_i)$
Output: A solution \bar{a} or **fail** if none exists

```

1 fringe ← {(si, tni, ε)}
2 while fringe ≠ ∅ do
3   n = (s, tn, ā) ← nodeSelectAndRemove(fringe)
4   if tn is empty then
5     return ā
6   else
7     (UP, UC) ← detectUnconstrainedSteps(tn)
8     for t ∈ UP do
9       if pre(t) ⊆ s then
10        fringe ← fringe ∪ {n.apply(t)}
11     t ← compoundTaskSelect(UC)
12     fringe ← fringe ∪ {n.decompose(t, m) |
13       m ∈ M with m = (α(t), tnm)}
13 return fail

```

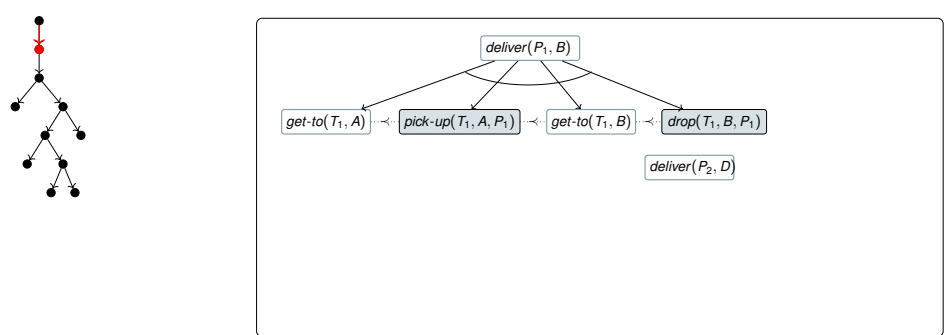


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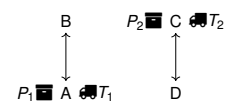

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Algorithm

Improved HTN Progression, Example



$\pi = ()$

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Algorithm

Improved HTN Progression, Example

`get-to(T1, A)` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`deliver(P2, D)`

$\pi = ()$

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Algorithm

Improved HTN Progression, Example

`get-to(T1, A)` ← `pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`no-op()` ← `deliver(P2, D)`

$\pi = ()$

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Algorithm

Improved HTN Progression, Example

`pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`no-op()` ← `deliver(P2, D)`

$\pi = ()$

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Algorithm

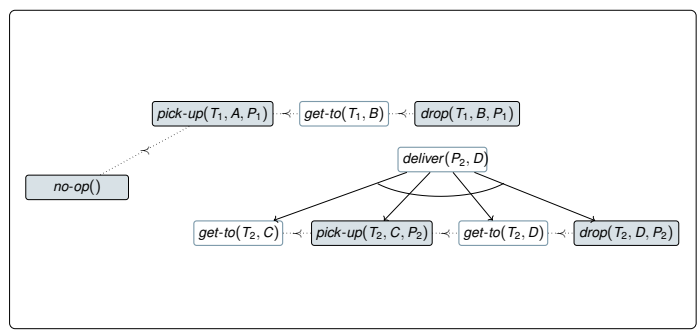
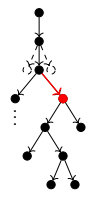
Improved HTN Progression, Example

`pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`
`deliver(P2, D)`

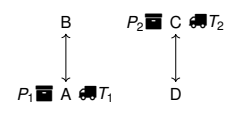
$\pi = (no-op())$

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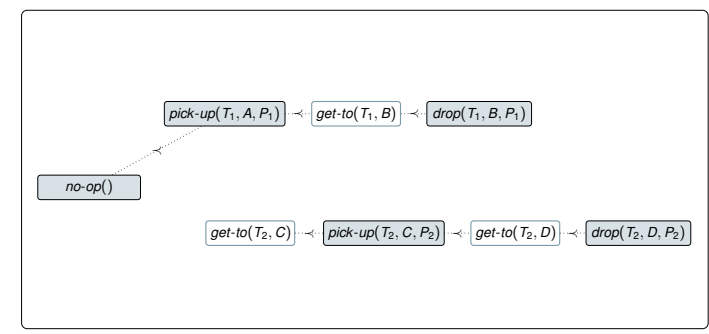
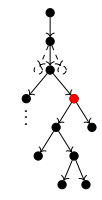
Improved HTN Progression, Example



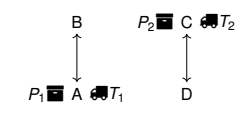
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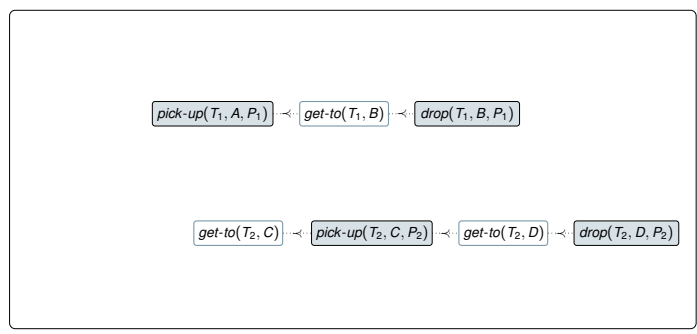
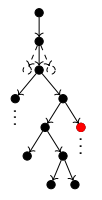
Improved HTN Progression, Example



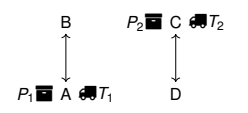
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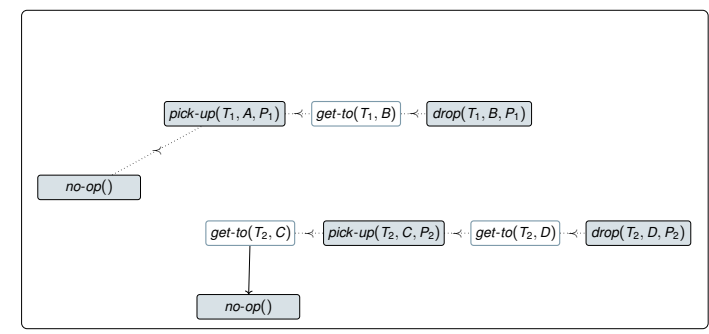
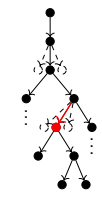
Improved HTN Progression, Example



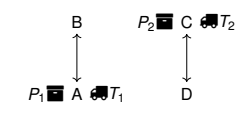
$\pi = (no-op())$



Improved HTN Progression, Example



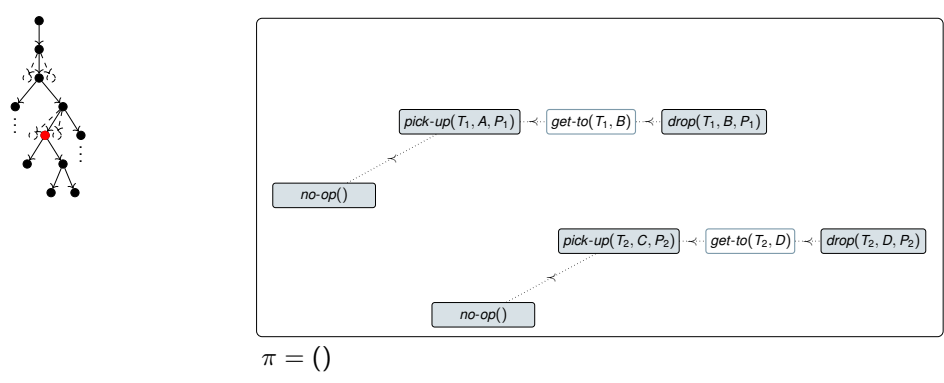
$\pi = ()$



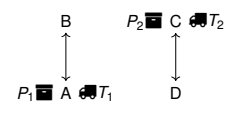
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Algorithm

Improved HTN Progression, Example



$\pi = ()$

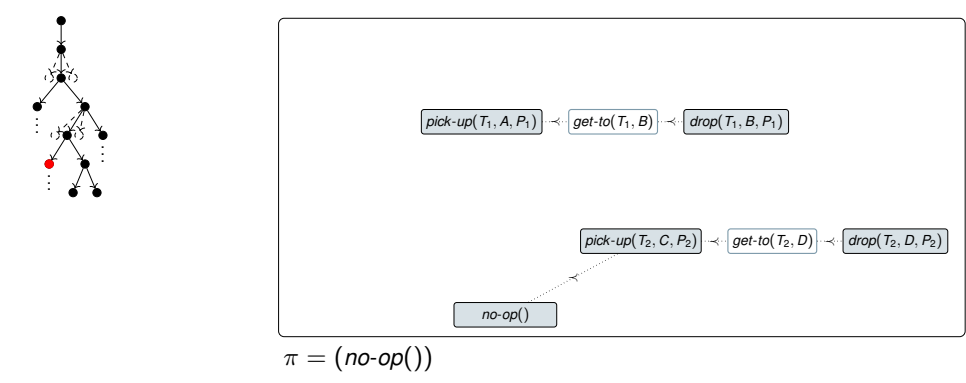


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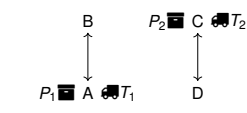
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Algorithm

Improved HTN Progression, Example



$\pi = (no-op())$

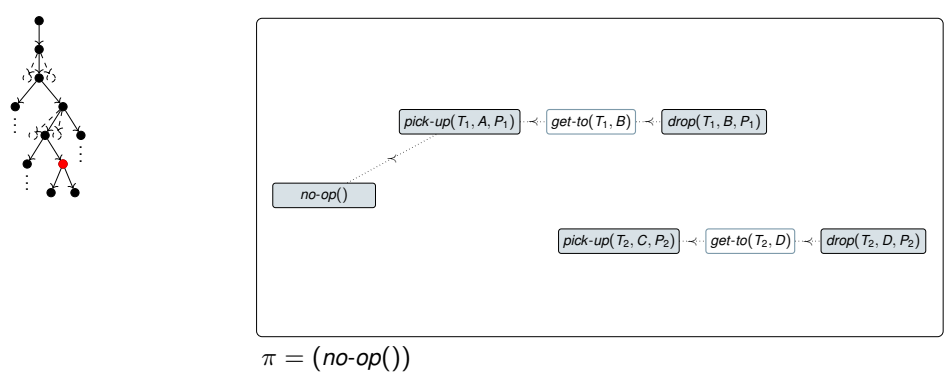


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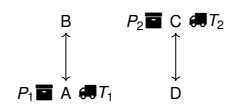
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Algorithm

Improved HTN Progression, Example



$\pi = (no-op())$

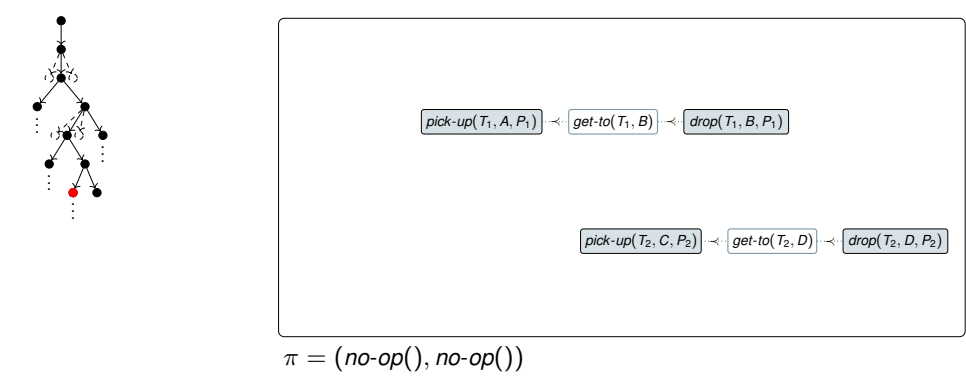


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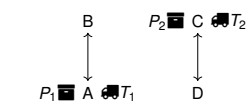
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Algorithm

Improved HTN Progression, Example



$\pi = (no-op(), no-op())$



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Algorithm

Improved HTN Progression, Example

$\pi = (no-op(), pick-up(T_2, C, P_2))$

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Algorithm

Improved HTN Progression, Example

$\pi = (no-op(), pick-up(T_2, C, P_2))$

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Algorithm

Improved HTN Progression, Example

$\pi = (no-op(), pick-up(T_2, C, P_2))$

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Algorithm

Improved HTN Progression, Example

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D))$

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Algorithm

Improved HTN Progression, Example

`pick-up(T1, A, P1)` ← `get-to(T1, B)` ← `drop(T1, B, P1)`

`drop(T2, D, P2)`

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op())$

B

↕

A T₁

C

↕

D T₂

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Algorithm

Improved HTN Progression, Example

`get-to(T1, B)` ← `drop(T1, B, P1)`

`drop(T2, D, P2)`

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1))$

B

↕

A T₁

C

↕

D T₂

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Algorithm

Improved HTN Progression, Example

`get-to(T1, B)` ← `drop(T1, B, P1)`

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1), drop(T_2, D, P_2))$

B

↕

A T₁

C

↕

D T₂

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Algorithm

Improved HTN Progression, Example

`get-to(T1, B)` ← `drop(T1, B, P1)`

↓

`drive(T1, A, B)`

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1), drop(T_2, D, P_2))$

B

↕

A T₁

C

↕

D T₂

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Algorithm

Improved HTN Progression, Example

drop(T_1, B, P_1)

drive(T_1, A, B)

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1), drop(T_2, D, P_2))$

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Algorithm

Improved HTN Progression, Example

drop(T_1, B, P_1)

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1), drop(T_2, D, P_2), drive(T_1, A, B))$

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Algorithm

Improved HTN Progression, Example

$\pi = (no-op(), pick-up(T_2, C, P_2), drive(T_2, C, D), no-op(), pick-up(T_1, A, P_1), drop(T_2, D, P_2), drive(T_1, A, B), drop(T_1, B, P_1))$

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Properties

Properties

Theorem

HTN progression search is sound and complete.

The completeness, however, depends on the deployed search strategy, i.e., the implementation of *nodeSelectAndRemove()*.

Proof:
Follows from the properties of the underlying search algorithm.
However:

- Be aware that the transition system is not finite!
- We need to argue why the restricted algorithm is still complete although not branching over all choices.


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Excursions

SHOP/SHOP2 and Method Preconditions

- One of the best-known (and still in use) HTN planners is SHOP2, which performs progression search.
- SHOP, the predecessor of SHOP2, can only cope with totally ordered methods (and a totally ordered initial task network).
- Both SHOP and SHOP2 perform by default depth-first search and specify in which order decomposition methods should be applied. This order relies on additional preconditions, e.g.:
 - If φ holds in s , use method m_i for task t , otherwise
 - if ψ holds in s , use method m_j for task t , else
 - use method m_k for task t .
 - Note: these valuations can be arbitrary program calls.
- Note the semantical difference of method preconditions in total-order HTN problems (i.e., SHOP) versus partial-order HTN problems (i.e., SHOP2).




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Excursions

Further Extensions

- TIHTN problems:
 - Progression search is also applicable for TIHTN problems.
 - The only required extension is that in addition to progressing compound or primitive tasks in the task network we can also apply primitive tasks from the model.
- Goal description: Add the criterion that the current state needs to be a goal state (in addition to the current task network being empty).
- State constraints: They can simply be tracked as well (and removed as soon as satisfied) in accordance to the definition given in the lecture.



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Introduction

Introduction

- Progression search commits to executable linearizations, similar to classical planning.
- In particular if a problem admits solutions with many linearizations, this approach might suffer from large search spaces.
- An alternative is *decomposition-based HTN planning* (also: *plan space-based planning* or *hybrid planning*), which extends POCL planning by the necessary concepts from hierarchical planning.

Terminology:

- In the remainder, we will fuse the terminologies from POCL planning with those from HTN planning.
- Rather than talking about *task networks*, we refer to them as *partial plans*.



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Prerequisites of Algorithm

Extensions to POCL Planning, New Flaws

New flaws:

- Compound task flaw:
 - Each compound task needs to be refined, thus raises a flaw.
 - For each abstract task flaw, the set of modifications equals the set of methods for that task.
- Any further flaws? No, but we need to alter the remaining flaws and modifications.



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Prerequisites of Algorithm

Alterations to POCL Planning, Open Preconditions

Open precondition flaw:

- As in POCL planning, each precondition without causal link raises an open precondition flaw.
- In POCL planning, we provided one modification for each possible producer:
 - In the current partial plan: only add causal link.
 - In the model: add action plus link.
- In hybrid planning, we also provide one modification for each possible producer:
 - Producer *is already* in the current partial plan: only add causal link.
 - Producer *could be added* via decomposing a compound task: decompose with the respective methods (more details later).



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Prerequisites of Algorithm


Alterations to POCL Planning, Open Preconditions, cont'd I

Let (PS, \prec, CL, α) be a partial plan (where a plan step $ps \in PS$ can also contain compound tasks, $\alpha(ps) \in P \cup C$).

- Let $ps \in PS$ a primitive plan step with open condition (v, ps) an open precondition flaw.
- Let $ps' \in PS$ be compound (i.e., $\alpha(ps') \in C$) and *possibly* be ordered before ps (i.e., $(ps, ps') \notin \prec$).

What to do *exactly* to offer modifications that address/resolve (v, ps) ?

- Only checking the very next level of $\alpha(ps')$ (i.e., the tasks in the methods of $\alpha(ps')$) is *not* sufficient and might lead to an incomplete algorithm.
- We need a mapping from each compound task to each reachable state variable. For efficiency reasons, this has to be done *once* in a preprocessing step.
- How to deal with cycles?



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Prerequisites of Algorithm

Alterations to POCL Planning, Open Preconditions, cont'd II

Let $ps \in PS$ be (primitive), $ps' \in PS$ (compound), and (v, ps) (open condition) as before.

- Let the planning problem be acyclic. Then, we can offer *one modification* for each producer for (v, ps) . Note that this might include applying methods over several levels of abstraction at once.



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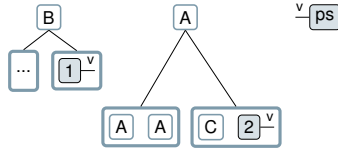

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Prerequisites of Algorithm

Alterations to POCL Planning, Open Preconditions, cont'd II

Let $ps \in PS$ be (primitive), $ps' \in PS$ (compound), and (v, ps) (open condition) as before.

- Let the planning problem be cyclic. With the previous strategy, there might be *infinitely many* modifications. Otherwise, we might become incomplete:
 - Only offering two modifications (one for A and one for B) will wrongly prevent the planner from inserting C arbitrarily often.
- Solution (in such cyclic cases): We just decompose A , but without resolving the open precondition flaw. So, how many modifications do we get here?
- Three! Two of them do insert a link and hence resolve the flaw.

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Prerequisites of Algorithm

Alterations to POCL Planning, Causal Threats

Let $ps, ps' \in PS$ be primitive tasks sharing a causal link (ps, v, ps') . When does a further step $ps'' \in PS$ threaten that causal link?

- If ps'' is primitive: Just as in POCL planning.
- If ps'' is compound: If there is some primitive task reachable with v in its delete list (and the ordering restrictions as usual).

Modifications if ps'' is compound:

- Promotion and Demotion: Doing this is correct and resolves the flaw, but introduces non-systematicity and violates least commitment. Why? Because it orders all sub tasks rather than just those required for eliminating the threatening step.
- Decomposition: Could we just choose decompositions that prevent deleting v ? No!

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Algorithm

Plan Space-based HTN Planning, Pseudo Code

Algorithm: Plan space-based HTN Search

Input: An HTN problem $\mathcal{P} = (V, P, \delta, C, M, s_I, tn_I)$

Output: A solution plan or *fail*.

```

1 fringe = {P_I} // Created from tn_I as seen in first lecture.
2 while fringe ≠ ∅ do
3   P := nodeSelectAndRemove(())fringe
4   F := flawDetection(P)
5   if F = ∅ then return P
6   f := flawSelection(F)
7   fringe := {applyModification(m, f) | m is a modification for f}
8 return fail

```

Note: Syntactically, this algorithm looks *exactly* like the POCL algorithm, but with flaws/modifications altered accordingly.

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)	$deliver(P_1, B)$
at(P_1, A)	
road(B, A)	
road(A, B)	
at(T_2, C)	$deliver(P_2, D)$
at(P_2, C)	
road(D, C)	
road(C, D)	

Flaws **Modifications**

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)	$deliver(P_1, B)$	$get-to(T_1, A)$	$pick-up(T_1, A, P_1)$	$get-to(T_1, B)$	$drop(T_1, B, P_1)$
at(P_1, A)					
road(B, A)					
road(A, B)					
at(T_2, C)	$deliver(P_2, D)$	$get-to(T_2, C)$	$pick-up(T_2, C, P_2)$	$get-to(T_2, D)$	$drop(T_2, D, P_2)$
at(P_2, C)					
road(D, C)					
road(C, D)					

Flaws **Modifications**

compound task: $deliver(P_1, B)$	decompose with $m-deliver(P_1, A, B, T_1)$
compound task: $deliver(P_2, D)$	decompose with $m-deliver(P_2, C, D, T_2)$

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)				
road(A, B)				
at(T_2, C)				
at(P_2, C)				
road(D, C)				
road(C, D)				

Flaws	Modifications
compound task: $deliver(P_1, B)$	decompose with $m-deliver(P_1, A, B, T_1)$
compound task: $deliver(P_2, D)$	decompose with $m-deliver(P_2, C, D, T_2)$

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)				
road(A, B)				
at(T_2, C)				
at(P_2, C)				
road(D, C)				
road(C, D)				

Flaws	Modifications
compound task: $deliver(P_2, D)$	decompose with $m-deliver(P_2, C, D, T_2)$
compound task: $get-to(T_1, A)$	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of $pick-up(T_1, A, P_1)$	insert causal link from <i>init</i> decompose $get-to(T_1, A)$ with $m-direct(T_1, B, A)$ decompose $get-to(T_1, A)$ with $m-via(T_1, B, A)$
open prec.: at(P_1, A) of $pick-up(T_1, A, P_1)$	insert causal link from <i>init</i> decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of $drop(T_1, B, P_1)$	decompose $get-to(T_1, B)$ with $m-direct(T_1, A, B)$ decompose $get-to(T_1, B)$ with $m-via(T_1, A, B)$
open prec.: in(P_1, T_1) of $drop(T_1, B, P_1)$	insert causal link from $pick-up(T_1, A, P_1)$

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)				
road(A, B)				
at(T_2, C)				
at(P_2, C)				
road(D, C)				
road(C, D)				

Flaws	Modifications
compound task: $deliver(P_2, D)$	decompose with $m-deliver(P_2, C, D, T_2)$
compound task: $get-to(T_1, A)$	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of $pick-up(T_1, A, P_1)$	insert causal link from <i>init</i> decompose $get-to(T_1, A)$ with $m-direct(T_1, B, A)$ decompose $get-to(T_1, A)$ with $m-via(T_1, B, A)$
open prec.: at(P_1, A) of $pick-up(T_1, A, P_1)$	insert causal link from <i>init</i> decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of $drop(T_1, B, P_1)$	decompose $get-to(T_1, B)$ with $m-direct(T_1, A, B)$ decompose $get-to(T_1, B)$ with $m-via(T_1, A, B)$
open prec.: in(P_1, T_1) of $drop(T_1, B, P_1)$	insert causal link from $pick-up(T_1, A, P_1)$

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)				
road(A, B)				
at(T_2, C)				
at(P_2, C)				
road(D, C)				
road(C, D)				

Flaws	Modifications
compound task: $deliver(P_2, D)$	decompose with $m-deliver(P_2, C, D, T_2)$
compound task: $get-to(T_1, A)$	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of $pick-up(T_1, A, P_1)$	insert causal link from <i>init</i> decompose $get-to(T_1, A)$ with $m-direct(T_1, B, A)$ decompose $get-to(T_1, A)$ with $m-via(T_1, B, A)$
compound task: $get-to(T_1, B)$	decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of $drop(T_1, B, P_1)$	decompose $get-to(T_1, B)$ with $m-direct(T_1, A, B)$ decompose $get-to(T_1, B)$ with $m-via(T_1, A, B)$
open prec.: in(P_1, T_1) of $drop(T_1, B, P_1)$	insert causal link from $pick-up(T_1, A, P_1)$

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Algorithm

Plan Space-based HTN Planning, Example

at(T1, A)	
at(P1, A)	
road(B, A)	
road(A, B)	
at(T2, C)	
at(P2, C)	
road(D, C)	
road(C, D)	

Flaws	Modifications
compound task: <i>deliver</i> (P2, D)	decompose with <i>m-deliver</i> (P2, C, D, T2)
compound task: <i>get-to</i> (T1, A)	decompose with <i>m-direct</i> (T1, B, A) decompose with <i>m-via</i> (T1, B, A) decompose with <i>m-noop</i> (T1, A)
open prec.: at(T1, A) of <i>pick-up</i> (T1, A, P1)	insert causal link from <i>init</i> decompose <i>get-to</i> (T1, A) with <i>m-direct</i> (T1, B, A) decompose <i>get-to</i> (T1, A) with <i>m-via</i> (T1, B, A)
compound task: <i>get-to</i> (T1, B)	decompose with <i>m-direct</i> (T1, A, B) decompose with <i>m-via</i> (T1, A, B) decompose with <i>m-noop</i> (T1, B)
open prec.: at(T1, B) of <i>drop</i> (T1, B, P1)	decompose <i>get-to</i> (T1, B) with <i>m-direct</i> (T1, A, B) decompose <i>get-to</i> (T1, B) with <i>m-via</i> (T1, A, B)
open prec.: in(P1, T1) of <i>drop</i> (T1, B, P1)	insert causal link from <i>pickup</i> (T1, A, P1)

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Algorithm

Plan Space-based HTN Planning, Example

at(T1, A)	
at(P1, A)	
road(B, A)	
road(A, B)	
at(T2, C)	
at(P2, C)	
road(D, C)	
road(C, D)	

Flaws	Modifications
compound task: <i>deliver</i> (P2, D)	decompose with <i>m-deliver</i> (P2, C, D, T2)
compound task: <i>get-to</i> (T1, A)	decompose with <i>m-direct</i> (T1, B, A) decompose with <i>m-via</i> (T1, B, A) decompose with <i>m-noop</i> (T1, A)
open prec.: at(T1, A) of <i>pick-up</i> (T1, A, P1)	insert causal link from <i>init</i> decompose <i>get-to</i> (T1, A) with <i>m-direct</i> (T1, B, A) decompose <i>get-to</i> (T1, A) with <i>m-via</i> (T1, B, A)
compound task: <i>get-to</i> (T1, B)	decompose with <i>m-direct</i> (T1, A, B) decompose with <i>m-via</i> (T1, A, B) decompose with <i>m-noop</i> (T1, B)
open prec.: at(T1, B) of <i>drop</i> (T1, B, P1)	decompose <i>get-to</i> (T1, B) with <i>m-direct</i> (T1, A, B) decompose <i>get-to</i> (T1, B) with <i>m-via</i> (T1, A, B)

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Algorithm

Plan Space-based HTN Planning, Example

at(T1, A)	
at(P1, A)	
road(B, A)	
road(A, B)	
at(T2, C)	
at(P2, C)	
road(D, C)	
road(C, D)	

Flaws	Modifications
compound task: <i>deliver</i> (P2, D)	decompose with <i>m-deliver</i> (P2, C, D, T2)
compound task: <i>get-to</i> (T1, A)	decompose with <i>m-direct</i> (T1, B, A) decompose with <i>m-via</i> (T1, B, A) decompose with <i>m-noop</i> (T1, A)
open prec.: at(T1, A) of <i>pick-up</i> (T1, A, P1)	insert causal link from <i>init</i> decompose <i>get-to</i> (T1, A) with <i>m-direct</i> (T1, B, A) decompose <i>get-to</i> (T1, A) with <i>m-via</i> (T1, B, A)
compound task: <i>get-to</i> (T1, B)	decompose with <i>m-direct</i> (T1, A, B) decompose with <i>m-via</i> (T1, A, B) decompose with <i>m-noop</i> (T1, B)
open prec.: at(T1, B) of <i>drop</i> (T1, B, P1)	decompose <i>get-to</i> (T1, B) with <i>m-direct</i> (T1, A, B) decompose <i>get-to</i> (T1, B) with <i>m-via</i> (T1, A, B)

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Algorithm

Plan Space-based HTN Planning, Example

at(T1, A)	
at(P1, A)	
road(B, A)	
road(A, B)	
at(T2, C)	
at(P2, C)	
road(D, C)	
road(C, D)	

Flaws	Modifications
compound task: <i>get-to</i> (T1, A)	decompose with <i>m-direct</i> (T1, B, A) decompose with <i>m-via</i> (T1, B, A) decompose with <i>m-noop</i> (T1, A)
open prec.: at(T1, A) of <i>pick-up</i> (T1, A, P1)	insert causal link from <i>init</i> decompose <i>get-to</i> (T1, A) with <i>m-direct</i> (T1, B, A) decompose <i>get-to</i> (T1, A) with <i>m-via</i> (T1, B, A)
compound task: <i>get-to</i> (T1, B)	decompose with <i>m-direct</i> (T1, A, B) decompose with <i>m-via</i> (T1, A, B) decompose with <i>m-noop</i> (T1, B)
open prec.: at(T1, B) of <i>drop</i> (T1, B, P1)	decompose <i>get-to</i> (T1, B) with <i>m-direct</i> (T1, A, B) decompose <i>get-to</i> (T1, B) with <i>m-via</i> (T1, A, B)
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)			
at(P_1, A)	get-to(T_1, A)	pick-up(T_1, A, P_1)	get-to(T_1, B)
road(B, A)			drop(T_1, B, P_1)
road(A, B)			
at(T_2, C)			
at(P_2, C)	get-to(T_2, C)	pick-up(T_2, C, P_2)	get-to(T_2, D)
road(D, C)			drop(T_2, D, P_2)
road(C, D)			

Flaws	Modifications
compound task: get-to(T_1, A)	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i> decompose get-to(T_1, A) with $m-direct(T_1, B, A)$ decompose get-to(T_1, A) with $m-via(T_1, B, A)$
compound task: get-to(T_1, B)	decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of drop(T_1, B, P_1)	decompose get-to(T_1, B) with $m-direct(T_1, A, B)$ decompose get-to(T_1, B) with $m-via(T_1, A, B)$
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)			
at(P_1, A)	get-to(T_1, A)	pick-up(T_1, A, P_1)	get-to(T_1, B)
road(B, A)			drop(T_1, B, P_1)
road(A, B)			
at(T_2, C)			
at(P_2, C)	get-to(T_2, C)	pick-up(T_2, C, P_2)	get-to(T_2, D)
road(D, C)			drop(T_2, D, P_2)
road(C, D)			

Flaws	Modifications
compound task: get-to(T_1, A)	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i> decompose get-to(T_1, A) with $m-direct(T_1, B, A)$ decompose get-to(T_1, A) with $m-via(T_1, B, A)$
compound task: get-to(T_1, B)	decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of drop(T_1, B, P_1)	decompose get-to(T_1, B) with $m-direct(T_1, A, B)$ decompose get-to(T_1, B) with $m-via(T_1, A, B)$
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)			
at(P_1, A)	get-to(T_1, A)	pick-up(T_1, A, P_1)	get-to(T_1, B)
road(B, A)			drop(T_1, B, P_1)
road(A, B)			
at(T_2, C)			
at(P_2, C)	get-to(T_2, C)	pick-up(T_2, C, P_2)	get-to(T_2, D)
road(D, C)			drop(T_2, D, P_2)
road(C, D)			

Flaws	Modifications
compound task: get-to(T_1, A)	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i> decompose get-to(T_1, A) with $m-direct(T_1, B, A)$ decompose get-to(T_1, A) with $m-via(T_1, B, A)$
compound task: get-to(T_1, B)	decompose with $m-direct(T_1, A, B)$ decompose with $m-via(T_1, A, B)$ decompose with $m-noop(T_1, B)$
open prec.: at(T_1, B) of drop(T_1, B, P_1)	decompose get-to(T_1, B) with $m-direct(T_1, A, B)$ decompose get-to(T_1, B) with $m-via(T_1, A, B)$
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)			
at(P_1, A)	get-to(T_1, A)	pick-up(T_1, A, P_1)	drive(T_1, A, B)
road(B, A)			drop(T_1, B, P_1)
road(A, B)			
at(T_2, C)			
at(P_2, C)	get-to(T_2, C)	pick-up(T_2, C, P_2)	get-to(T_2, D)
road(D, C)			drop(T_2, D, P_2)
road(C, D)			

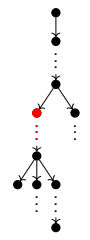
Flaws	Modifications
compound task: get-to(T_1, A)	decompose with $m-direct(T_1, B, A)$ decompose with $m-via(T_1, B, A)$ decompose with $m-noop(T_1, A)$
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i> decompose get-to(T_1, A) with $m-direct(T_1, B, A)$ decompose get-to(T_1, A) with $m-via(T_1, B, A)$
open prec.: at(T_1, A) of drive(T_1, A, B)	insert causal link from <i>init</i> decompose get-to(T_1, A) with $m-direct(T_1, B, A)$ decompose get-to(T_1, A) with $m-via(T_1, B, A)$
open prec.: road(A, B) of drive(T_1, A, B)	insert causal link from <i>init</i>
...	...

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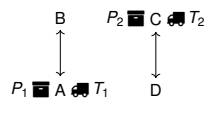
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)				
at(P ₁ , A)				
road(B, A)	get-to(T ₁ , A)			
road(A, B)		pick-up(T ₁ , A, P ₁)		
at(T ₂ , C)				
at(P ₂ , C)				
road(D, C)	get-to(T ₂ , C)			
road(C, D)		pick-up(T ₂ , C, P ₂)		
			get-to(T ₂ , D)	
				drop(T ₂ , D, P ₂)

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A) decompose with <i>m-via</i> (T ₁ , B, A) decompose with <i>m-noop</i> (T ₁ , A)
open prec.: at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
open prec.: at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
open prec.: road(A, B) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i>
...	...

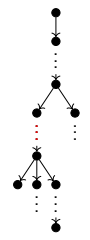


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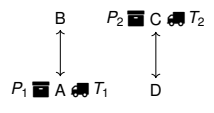
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)				
at(P ₁ , A)				
road(B, A)	get-to(T ₁ , A)			
road(A, B)		pick-up(T ₁ , A, P ₁)		
at(T ₂ , C)				
at(P ₂ , C)				
road(D, C)	get-to(T ₂ , C)			
road(C, D)		pick-up(T ₂ , C, P ₂)		
			get-to(T ₂ , D)	
				drop(T ₂ , D, P ₂)

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A) decompose with <i>m-via</i> (T ₁ , B, A) decompose with <i>m-noop</i> (T ₁ , A)
open prec.: at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
open prec.: at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
...	...

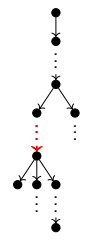


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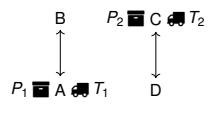
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)				
at(P ₁ , A)				
road(B, A)	get-to(T ₁ , A)			
road(A, B)		pick-up(T ₁ , A, P ₁)		
at(T ₂ , C)				
at(P ₂ , C)				
road(D, C)	get-to(T ₂ , C)			
road(C, D)		pick-up(T ₂ , C, P ₂)		
			drive(T ₂ , C, D)	
				drop(T ₂ , D, P ₂)

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A) decompose with <i>m-via</i> (T ₁ , B, A) decompose with <i>m-noop</i> (T ₁ , A)
open prec.: at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
open prec.: at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
...	...

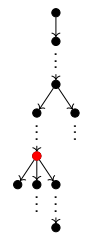


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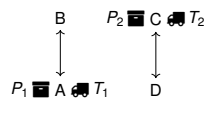
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)				
at(P ₁ , A)				
road(B, A)	get-to(T ₁ , A)			
road(A, B)		pick-up(T ₁ , A, P ₁)		
at(T ₂ , C)				
at(P ₂ , C)				
road(D, C)	get-to(T ₂ , C)			
road(C, D)		pick-up(T ₂ , C, P ₂)		
			drive(T ₂ , C, D)	
				drop(T ₂ , D, P ₂)

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A) decompose with <i>m-via</i> (T ₁ , B, A) decompose with <i>m-noop</i> (T ₁ , A)
open prec.: at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
open prec.: at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i> decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A) decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
...	...

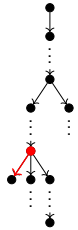


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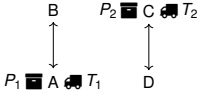
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)	↔	↔	↔	↔
at(P ₁ , A)	↔	↔	↔	↔
road(B, A)	↔	↔	↔	↔
road(A, B)	↔	↔	↔	↔
at(T ₂ , C)	↔	↔	↔	↔
at(P ₂ , C)	↔	↔	↔	↔
road(D, C)	↔	↔	↔	↔
road(C, D)	↔	↔	↔	↔

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A)
	decompose with <i>m-via</i> (T ₁ , B, A)
	decompose with <i>m-noop</i> (T ₁ , A)
<i>open prec.</i> : at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i>
	decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A)
	decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
<i>open prec.</i> : at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i>
	decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A)
	decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
...	...

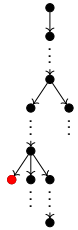


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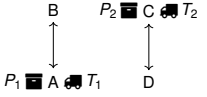
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)	↔	↔	↔	↔
at(P ₁ , A)	↔	↔	↔	↔
road(B, A)	↔	↔	↔	↔
road(A, B)	↔	↔	↔	↔
at(T ₂ , C)	↔	↔	↔	↔
at(P ₂ , C)	↔	↔	↔	↔
road(D, C)	↔	↔	↔	↔
road(C, D)	↔	↔	↔	↔

Flaws	Modifications
<i>open prec.</i> : at(T ₁ , B) of <i>drive</i> (T ₁ , B, A)	—
<i>open prec.</i> : road(B, A) of <i>drive</i> (T ₁ , B, A)	insert causal link from <i>init</i>
<i>open prec.</i> : at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i>
	insert causal link from <i>drive</i> (T ₁ , B, A)
<i>open prec.</i> : at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i>
	insert causal link from <i>drive</i> (T ₁ , B, A)
...	...

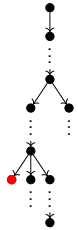


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Algorithm

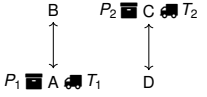
Plan Space-based HTN Planning, Example



at(T ₁ , A)	↔	↔	↔	↔
at(P ₁ , A)	↔	↔	↔	↔
road(B, A)	↔	↔	↔	↔
road(A, B)	↔	↔	↔	↔
at(T ₂ , C)	↔	↔	↔	↔
at(P ₂ , C)	↔	↔	↔	↔
road(D, C)	↔	↔	↔	↔
road(C, D)	↔	↔	↔	↔

Flaws	Modifications
open prec. : at(T ₁ , B) of <i>drive</i> (T ₁ , B, A)	—
<i>open prec.</i> : road(B, A) of <i>drive</i> (T ₁ , B, A)	insert causal link from <i>init</i>
<i>open prec.</i> : at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i>
	insert causal link from <i>drive</i> (T ₁ , B, A)
<i>open prec.</i> : at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i>
	insert causal link from <i>drive</i> (T ₁ , B, A)
...	...

This partial plan can be discarded, because it has a flaw without modifications

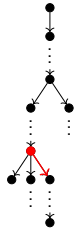


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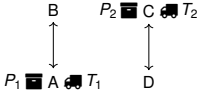
Algorithm

Plan Space-based HTN Planning, Example



at(T ₁ , A)	↔	↔	↔	↔
at(P ₁ , A)	↔	↔	↔	↔
road(B, A)	↔	↔	↔	↔
road(A, B)	↔	↔	↔	↔
at(T ₂ , C)	↔	↔	↔	↔
at(P ₂ , C)	↔	↔	↔	↔
road(D, C)	↔	↔	↔	↔
road(C, D)	↔	↔	↔	↔

Flaws	Modifications
compound task: <i>get-to</i> (T ₁ , A)	decompose with <i>m-direct</i> (T ₁ , B, A)
	decompose with <i>m-via</i> (T ₁ , B, A)
	decompose with <i>m-noop</i> (T ₁ , A)
<i>open prec.</i> : at(T ₁ , A) of <i>pick-up</i> (T ₁ , A, P ₁)	insert causal link from <i>init</i>
	decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A)
	decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
<i>open prec.</i> : at(T ₁ , A) of <i>drive</i> (T ₁ , A, B)	insert causal link from <i>init</i>
	decompose <i>get-to</i> (T ₁ , A) with <i>m-direct</i> (T ₁ , B, A)
	decompose <i>get-to</i> (T ₁ , A) with <i>m-via</i> (T ₁ , B, A)
...	...



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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)	no-op()			
road(A, B)		pick-up(T_1, A, P_1)	drive(T_1, A, B)	drop(T_1, B, P_1)
at(T_2, C)				
at(P_2, C)				
road(D, C)	get-to(T_2, C)			
road(C, D)		pick-up(T_2, C, P_2)	drive(T_2, C, D)	drop(T_2, D, P_2)

Flaws	Modifications
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i>
open prec.: at(T_1, A) of drive(T_1, A, B)	insert causal link from <i>init</i>
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)	no-op()			
road(A, B)		pick-up(T_1, A, P_1)	drive(T_1, A, B)	drop(T_1, B, P_1)
at(T_2, C)				
at(P_2, C)				
road(D, C)	get-to(T_2, C)			
road(C, D)		pick-up(T_2, C, P_2)	drive(T_2, C, D)	drop(T_2, D, P_2)

Flaws	Modifications
open prec.: at(T_1, A) of pick-up(T_1, A, P_1)	insert causal link from <i>init</i>
open prec.: at(T_1, A) of drive(T_1, A, B)	insert causal link from <i>init</i>
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)	no-op()			
road(A, B)		pick-up(T_1, A, P_1)	drive(T_1, A, B)	drop(T_1, B, P_1)
at(T_2, C)				
at(P_2, C)				
road(D, C)	get-to(T_2, C)			
road(C, D)		pick-up(T_2, C, P_2)	drive(T_2, C, D)	drop(T_2, D, P_2)

Flaws	Modifications
open prec.: at(T_1, A) of drive(T_1, A, B)	insert causal link from <i>init</i>
...	...

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Algorithm

Plan Space-based HTN Planning, Example

at(T_1, A)				
at(P_1, A)				
road(B, A)	no-op()			
road(A, B)		pick-up(T_1, A, P_1)	drive(T_1, A, B)	drop(T_1, B, P_1)
at(T_2, C)				
at(P_2, C)				
road(D, C)	get-to(T_2, C)			
road(C, D)		pick-up(T_2, C, P_2)	drive(T_2, C, D)	drop(T_2, D, P_2)

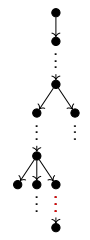
Flaws	Modifications
open prec.: at(T_1, A) of drive(T_1, A, B)	insert causal link from <i>init</i>
...	...

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Algorithm

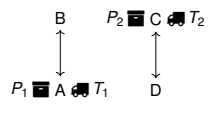
Plan Space-based HTN Planning, Example



at(T_1, A)			
at(P_1, A)			
road(B, A)	no-op()	pick-up(T_1, A, P_1)	drive(T_1, A, B)
road(A, B)			
at(T_2, C)			
at(P_2, C)			
road(D, C)	get-to(T_2, C)	pick-up(T_2, C, P_2)	drive(T_2, C, D)
road(C, D)			

Flaws
...

Modifications
...

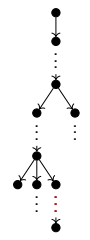


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Algorithm

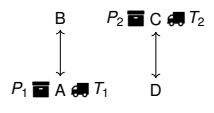
Plan Space-based HTN Planning, Example



at(T_1, A)			
at(P_1, A)			
road(B, A)	no-op()	pick-up(T_1, A, P_1)	drive(T_1, A, B)
road(A, B)			
at(T_2, C)			
at(P_2, C)			
road(D, C)	no-op()	pick-up(T_2, C, P_2)	drive(T_2, C, D)
road(C, D)			

Flaws
...

Modifications
...

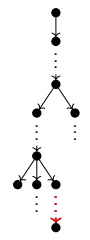


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Algorithm

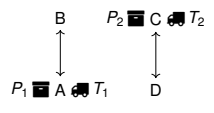
Plan Space-based HTN Planning, Example



at(T_1, A)			
at(P_1, A)			
road(B, A)	no-op()	pick-up(T_1, A, P_1)	drive(T_1, A, B)
road(A, B)			
at(T_2, C)			
at(P_2, C)			
road(D, C)	no-op()	pick-up(T_2, C, P_2)	drive(T_2, C, D)
road(C, D)			

Flaws
...

Modifications
...

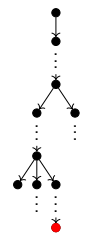


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Plan Space-based HTN Planning, Example

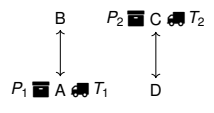


at(T_1, A)			
at(P_1, A)			
road(B, A)	no-op()	pick-up(T_1, A, P_1)	drive(T_1, A, B)
road(A, B)			
at(T_2, C)			
at(P_2, C)			
road(D, C)	no-op()	pick-up(T_2, C, P_2)	drive(T_2, C, D)
road(C, D)			

Flaws
...

Modifications
...

This partial plan has no flaws, so it is a solution and returned




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Algorithm

Flaw Selection Strategies

- Many of the flaw selection strategies for POCL planning can be reused for plan space-based HTN planning.
- As for POCL planning, one good possibility is LCFR. Further strategies might be discussed in the exercises.



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Properties

Properties


Theorem

Plan space-based search is sound and complete.

The completeness, however, depends on the deployed search strategy, i.e., the implementation of *nodeSelectAndRemove()*.

Proof:
Follows from the properties of the underlying search algorithm.
However:

- Be aware that the transition system is not finite!
- We had to show that for each flaw, *all* possible ways to resolve it are generated and that no unintended side effects occur such as being overly restrictive thereby unintentionally ruling out solutions.




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Excursions

Extensions

- Method preconditions: They can be handled via compilation.
How? Exercise!
- TIHTN problems:
 - Plan space-based search is also applicable for TIHTN problems.
 - The only required extension is to re-enable action insertion as in POCL planning.
- Goal description: Just add the artificial goal action as in POCL planning.
- State constraints: Unclear/not yet implemented/published.
- Extension to hybrid planning, where compound tasks show preconditions and effects as well: Discussed at the end of the lecture if time.




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Summary

- Again, do not mistake hierarchical planning algorithms as “just another algorithm for solving planning problems” – they are required to solve hierarchical problems, which are more expressive than non-hierarchical ones (confer last lecture!).
- Similar to solving non-hierarchical problems,
 - planning as search is one of the standard approaches for solving hierarchical planning problems,
 - there is progression-based search in the space of states (plus the remaining task network),
 - search in the space of partial plans, and
 - both approaches rely on heuristics to guide search (next lecture).



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